Model Combination for Event Extraction in BioNLP 2011

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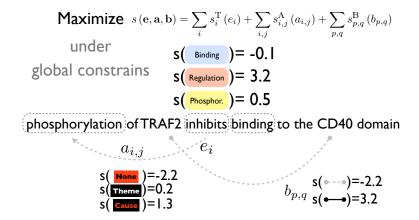
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- Stacked model's output as features in stacking model

Stacking Model



Scores

$$S(Regulation) = 3.2$$

$$\begin{pmatrix} 1 \\ \vdots \\ 1 \end{pmatrix}^{\mathsf{T}} \begin{pmatrix} -2.1 \\ \vdots \\ 1.3 \end{pmatrix} e = \mathsf{Reg} \\ \vdots \\ e = \mathsf{Reg and } \mathsf{w} = "inhibit"$$

Stacked Features

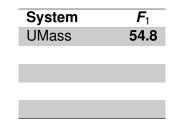
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Stacked model

- Stanford Event Parsing system
- Recall: Four different decoders: (1st, 2nd-order features) × (projective, non-projective)
- Only used the parser for stacking (1-best outputs)
- Different segmentation/tokenization
- Different trigger detection

Performance of individual components



Performance of individual components

System	F ₁
UMass	54.8
Stanford (1N)	49.9
Stanford (1P)	49.0
Stanford (2N)	46.5
Stanford (2P)	49.5

Performance of individual components

System	F ₁	with reranker
UMass	54.8	
Stanford (1N)	49.9	50.2
Stanford (1P)	49.0	49.4
Stanford (2N)	46.5	47.9
Stanford (2P)	49.5	50.5

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UMass←1P	55.7
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UMass←all	55.9

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UMass←1N	55.6
UMass←1P	55.7
UMass←2P	55.7
UMass←all (FAUST)	55.9

Ablation analysis for stacking

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UMass←all	55.9
UMass←all (triggers)	54.9
UMass←all (arguments)	55.1

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 - Incorporated in UMass model via 2P stacking
- Future work: Incorporate projectivity constraint directly

Questions?

Backup slides

Stacked Features

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$$\begin{pmatrix} 1 \\ 1 \\ \vdots \\ 1 \end{pmatrix}^{\mathsf{T}} \begin{pmatrix} -2.1 \\ 1.2 \\ \vdots \\ 1.3 \end{pmatrix} e = \operatorname{Reg}_{\mathsf{e}} e = \operatorname{Reg}_{\mathsf$$

Conjoined Features

$$S(Regulation) = 3.2$$

$$\begin{pmatrix} 1 \\ 1 \\ \vdots \\ 1 \\ 1 \end{pmatrix}^{\mathsf{T}} \begin{pmatrix} -2.1 \\ 1.2 \\ \vdots \\ 1.3 \\ 3.2 \end{pmatrix}^{\mathsf{T}} e = \operatorname{Reg} \text{ and } \mathsf{y} = \operatorname{Reg} \\ e = \operatorname{Reg} \text{ and } \mathsf{y} = \operatorname{Reg} \\ \vdots \\ e = \operatorname{Reg} \text{ and } \mathsf{w} = \text{``inhibit''} \\ e = \operatorname{Reg} \text{ and } \mathsf{w} = \text{``inhibit''} \text{ and } \mathsf{y} = \operatorname{Reg}$$

Results on Genia

System	Simple	Binding	Regulation	Total
UMass	74.7	47.7	42.8	54.8
Stanford 1N	71.4	38.6	32.8	47.8
Stanford 1P	70.8	35.9	31.1	46.5
Stanford 2N	69.1	35.0	27.8	44.3
Stanford 2P	72.0	36.2	32.2	47.4
UMass←All	76.9	43.5	44.0	55.9
UMass←1N	76.4	45.1	43.8	55.6
UMass←1P	75.8	43.1	44.6	55.7
UMass←2N	74.9	42.8	43.8	54.9
UMass←2P	75.7	46.0	44.1	55.7
UMass←All (triggers)	76.4	41.2	43.1	54.9
UMass←All (arguments)	76.1	41.7	43.6	55.1

Results on Infectious Diseases

System	Rec	Prec	F_1
UMass	46.2	51.1	48.5
Stanford 1N	43.1	49.1	45.9
Stanford 1P	40.8	46.7	43.5
Stanford 2N	41.6	53.9	46.9
Stanford 2P	42.8	48.1	45.3
UMass←All	47.6	54.3	50.7
UMass←1N	45.8	51.6	48.5
UMass←1P	47.6	52.8	50.0
UMass←2N	45.4	52.4	48.6
UMass←2P	49.1	52.6	50.7
UMass←2P (conjoined)	48.0	53.2	50.4

Results on test

	UMass		UMass←All			
	Rec	Prec	F_1	Rec	Prec	F_1
GE (Task 1)	48.5	64.1	55.2	49.4	64.8	56.0
GE (Task 2)	43.9	60.9	51.0	46.7	63.8	53.9
EPI (Full task)	28.1	41.6	33.5	28.9	44.5	35.0
EPI (Core task)	57.0	73.3	64.2	59.9	80.3	68.6
ID (Full task)	46.9	62.0	53.4	48.0	66.0	55.6
ID (Core task)	49.5	62.1	55.1	50.6	66.1	57.3